3.2 Linear Functions Monday, September 23, 2019 7:46 AM

### WARM UP

Find the linear equation for the following data tables.





How can you identify a linear function?

NEEDED VOCAB:

Function Notation

Linear Function

GOAL: "I CAN... Identify, evaluate, graph, and write linear functions."



Try this puzzle with 6 different integers.

Integer	13	2	ى	5	7	8
Result	26	4	12	10	14	ی

Do you recognize a patter from the puzzle we just did? If so, can you prove it will work for all numbers? a + 2.

#### **EXAMPLE 1** Evaluate Functions in Function Notation

How can you represent a function rule?

Х



Function Notation is a method of writing variables as a function of other variables. The variable x is used to find the value of y. This helps distinguish between different functions and the relationships between the variables can be used to solve problems and make predictions.

Nothing else changes, it's stillan Equation it just looks different.

What is the value of g(x) = 5x + 1, when x = 3?

5) = 5(3) +1 g(3) = 15 + 1g(3) = 16

function notation allows us to see the point in



3,16

#### EXAMPLE 2 Write a Linear Function Rule

The cost to make 4 bracelets is shown in the table. How can  $f(x) = 15 \times 12^{-15}$  you determine the cost to make any number of bracelets?



Write a linear function for the data in each table using function notation.



#### Analyze a Linear Function

Tamika records the outside temperature at 6:00 a.m. The temperature increases by 2°F every hour for the next 6 hours. If the temperature continues to increase at the same rate, what will the temperature be at 2:00 p.m.?

EXAMPLE 3





A LINEAR FUNCTIONS is a function whose graph is a line.

Does using a linear function realistically represent the temperature for the domain of 0<x<24? Explain.



Sketch the graph of the following functions.

A) f(x) = -x + 1B) g(x) = 3x + 1



#### **EXAMPLE 4** Use Linear Functions to Solve Problems

A chairlift starts 0.5 mi above the base of a mountain and travels up the mountain at a constant speed. How far from the base of the mountain is the chairlift after



A chairlift starts 0.5 mi above the base of a mountain and travels up the mountain at a constant speed of 6 mph. How would the function, graph, and equation change if the speed is <u>4mph</u>? What is the effect on the domain?

f(x) = Gx + . T f(x) = milesx = hrs.

- x coefficient changes. - graphis less steap. - same as function g(x) = 4x + 5

#### **Linear Function Representations**



# Homework

## Pg. 100 9, 12-19, 21, 22, 24, 29, 32, 33

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