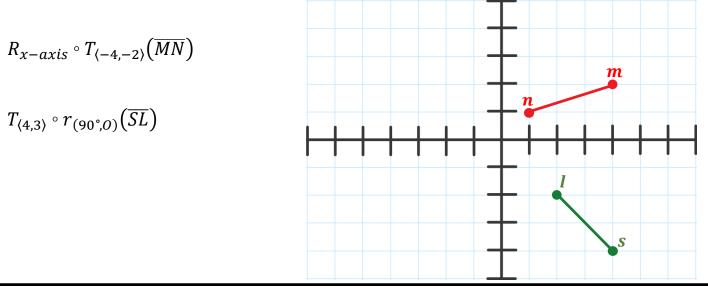
3.4 Classification of Rigid Motion

Monday, September 23, 2019 7:46 AM

WARM UP

Translate, Rotate, and/or Reflect the following images according the rules given.



ESSENTIAL QUESTION

How can rigid motions be classified?

NEEDED VOCAB: ► Glide Reflection

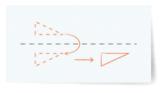
GOAL: "I CAN... Identify different rigid motions used to transform twodimensional shapes." Two students are trying to determine whether compositions of rigid motions are commutative. View all of their work in the gallery of images.

- A. Should Paula have used graph paper? Explain.
- B. Do you agree with Paula or Keenan? Explain.

Paula's Conclusion Translate. Then reflect.

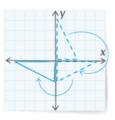


Reflect. Then translate.

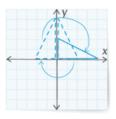


Conclusion: Compositions of rigid motions **are** commutative.

Keenan's Conclusion Rotate. Then reflect.



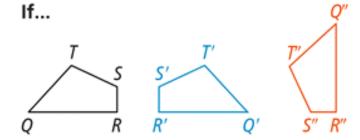
Reflect. Then rotate.



Conclusion: Compositions of rigid motions **are not** commutative.

Rigid Motion Composition

The composition of two or more rigid motions is a rigid motion.

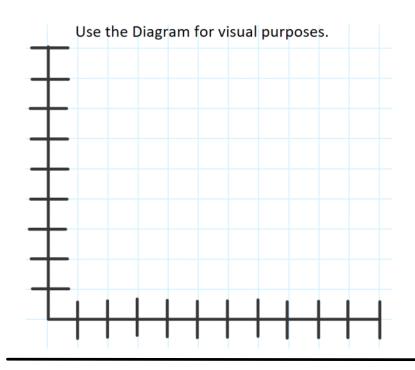


M: $QRST \rightarrow Q'R'S'T'$ and *N*: $Q'R'S'T' \rightarrow Q''R''S''T''$ are rigid motions. Then...

(N ∘ M): QRST → Q"R"S"T" is a rigid motion.

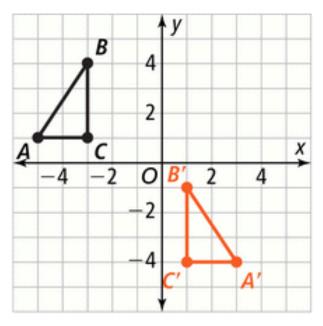
PROOF: SEE EXAMPLE 1.

How can we prove that a composition of rigid motions is a rigid motion?

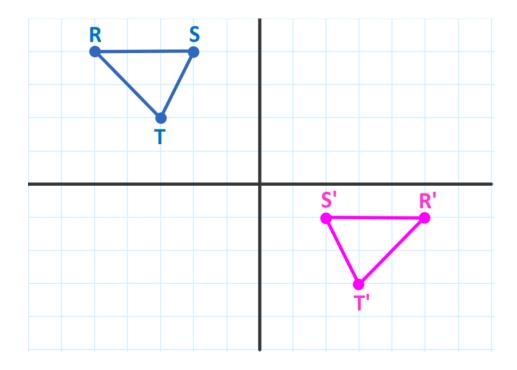


EXAMPLE 1

Is there a rigid motion that maps $\triangle ABC$ to $\triangle A'B'C'$?



What is the glide reflection that maps ΔRST to $\Delta R'S'T'$.



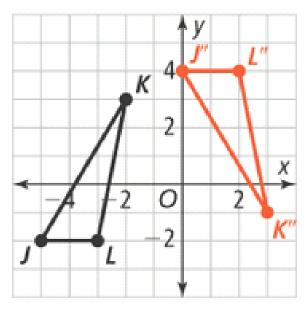
EXAMPLE 2

A digital artist is reproducing a tire tread pattern from a partial tire print from a crime scene by applying a glide reflection. She uses the rule $T_{(0,0.1)} \circ R_{y-axis}$ to generate a pattern. Confirm that her rule can be applied to the partial pattern that was taken from the crime scene.



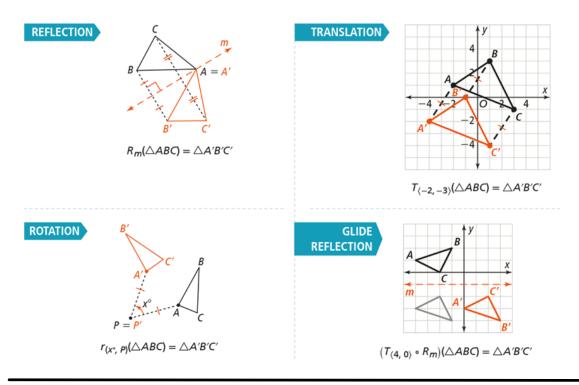
Quadrilateral RSTV has vertices R(-3, 2), S(0, 5), T(4, -4), V(0, -2). Use the rule $T_{(1,0)} \circ R_{x-axis}$ to graph and label the glide reflection of RSTV.

What is the glide reflection that maps ΔJKL to $\Delta J''K''L''$?



What is the glide reflection that maps the following? $\Delta ABC \rightarrow \Delta A'B'C'$ given: A(-3, 4), B(-4, 2), C(-1, 1), A'(1, 1), B'(2, -1), and C'(-1, -2). What is the glide reflection that maps the following? $\overline{RS} \rightarrow \overline{R'S'}$ given: R(-2, 4), S(2, 6), R'(4, 0), and S'(8, -2).

Types of Rigid Motions



Homework

Pg. 134 9, 10, 12-21, 25, 26