

## WARM UP

Write and solve a compound interest formula for the following scenario: You invest \$10,000 on a CD that will yield 5% interest, compounded monthly. What is the value of your investment after 10 years?

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# ESSENTIAL QUESTION

How do changes in an exponential function relate to the translations of its graph?

**GOAL: "I CAN...**

**Perform, analyze, and use transformations of exponential functions."**

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**With your table**

Graph the function  $g(x) = 3^x$ . Then on the same graph, graph the function  $t(x) = 3^x + 2$ . What is the difference between the two graphs?

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$$f(x) = a(b)^{x-h} + k$$

$a$ : will do a dilation, stretch ( $a > 1$ ) or

compression ( $1 > a > 0$ ).

$b$ : is your base

$h$ : will shift the graph left(+) or right(-)  $h$  units.

$k$ : will shift the graph up(+) or down(-)  $k$  units.

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How are the following functions changed from their parent functions?

$$g(x) = 2^x + 2$$

$$h(x) = 2^x - 4$$

$$t(x) = 2^{x-6}$$

$$n(x) = 2^{x+4}$$

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What transformations are taking place in each function?

$$v(x) = 2^{x-3} + 4$$

$$r(x) = 2^{x+9} - 3$$

$$s(x) = 3(2)^{x-2} - 6$$

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**With your table**

What are the characteristics of each graph? (Without graphing)

$$t(x) = 2^{x+4} - 9$$

$$h(x) = 2^{x-1} + 3$$

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What are the characteristics of each graph? (Without graphing)

$$j(x) = 2^{x-2} + 1$$

$$c(x) = 2^{x+3} - 2$$

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<https://tinyurl.com/shfwaox>



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# HOMework

**Pg. 250**

**16, 19-24, 30, 34**