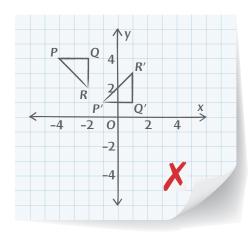
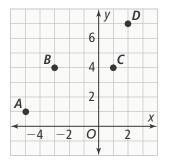
PRACTICE & PROBLEM SOLVING

UNDERSTAND

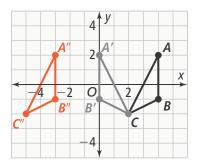
11. Error Analysis Hugo graphed $\triangle PQR$ and $(R_t \circ T_{(3, 1)})(\triangle PQR)$ where the equation of line *t* is y = 2. His translation and reflection were both correct. What mistake did Hugo make?



- **12.** Mathematical Connections Suppose line *k* has equation x = 3. Compare the areas of *ABCD* and $A''B''C''D'' = (T_{\langle 1, 2 \rangle} \circ R_k)(ABCD)$. Justify your answer.
- **13. Make Sense and Persevere** A robot travels from position *A* to *B* to *C* to *D*. What composition of rigid motions represents those moves?



14. Higher Order Thinking How can you describe the complete transformation to a person who cannot see the transformations below?



Scan for builtimedia



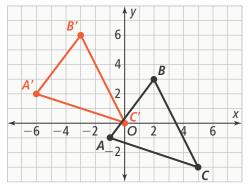
PRACTICE

For Exercises 15–17, give the coordinates of the image. SEE EXAMPLE 1

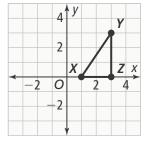
15. *T*_{⟨3, −1⟩}(△*ABC*) for *A*(5, 0), *B*(−1, 2), *C*(6, −3)

16. *T*_{⟨−4, 0⟩}(△*DEF*) for *D*(3, 3), *E*(−2, 3), *F*(0, 2)

- **17.** *T*_{⟨-10, -5⟩}(△*GHJ*) for *G*(0, 0), *H*(3, 6), *J*(12, -1)
- **18.** What is the rule for the rigid motion? SEE EXAMPLE 2



- **19.** Write a composition of translations that is equivalent to $T_{(8, -5)}(x, y)$. SEE EXAMPLE 3
- **20.** Given $\triangle XYZ$, line *n* with equation x = -2, and line *p* with equation x = 2, write a translation that is equivalent to $R_n \circ R_p$. SEE EXAMPLE 4



For Exercises 21–24, write each composition of translations as one translation. SEE EXAMPLE 3

21. $T_{\langle -3, 3 \rangle} \circ T_{\langle -2, 4 \rangle}$	22. $T_{\langle -4, -3 \rangle} \circ T_{\langle 3, 1 \rangle}$
23. <i>T</i> _(5, -6) • <i>T</i> _(-7, 5)	24. $T_{\langle 8, -2 \rangle} \circ T_{\langle -4, 9 \rangle}$

For Exericses 25–28, write each composition of reflections as one translation. Suppose k is the line with equation x = -3, ℓ is the line with equation x = -2, m is the line with equation x = 1, n is the line with equation x = -1, p is the line with equation y = 1, q is the line with equation y = 3, s is the line with equation y = 2, and t is the line with equation y = -4. SEE EXAMPLE 4

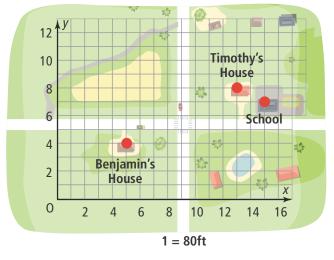
- **25.** $R_k \circ R_\ell$ **26.** $R_m \circ R_n$
- **27.** $R_p \circ R_q$ **28.** $R_s \circ R_t$
- **29.** The distance between vertical lines *a* and *b* is 6 units and *a* is left of *b*. If $T_{\langle X, 0 \rangle}(\triangle JKL) = (R_b \circ R_a)(\triangle JKL)$, what is the value of *x*? SEE EXAMPLE 5

PRACTICE & PROBLEM SOLVING

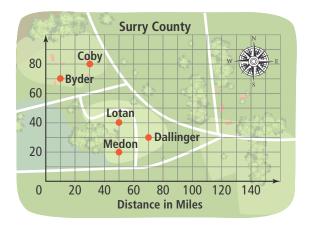
Practice (U) Tutorial Mixed Review Available Online

APPLY

30. Communicate Precisely Benjamin walks from his house to Timothy's house and then to school. Describe Benjamin's walk as a composition of translations. If Benjamin walks from his house directly to school, what translation describes his walk?



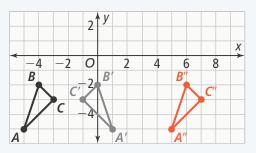
Use the map for Exercises 31 and 32.



- 31. Model With Mathematics The Surry County sheriff's patrol route starts in Coby. The composition of rigid motions $T_{\langle -20, 10 \rangle} \circ T_{\langle 40, -50 \rangle}$ describes her route. How would you describe the sheriff's route in words?
- 32. Reason What composition of rigid motions describes a car trip starting in Medon, stopping in Dallinger, and then going on to Byder?

ASSESSMENT PRACTICE

33. Does each of the rigid motions below result in $\triangle A^{"}B^{"}C^{"}$? Select Yes or No.



Suppose *a* is the line with equation x = 6, *b* is the line with equation x = 3, and c is the line with equation x = -2.

	Yes	No
<i>T</i> _{⟨0, 10⟩} (△ <i>ABC</i>)		
<i>T</i> _{⟨10, 0⟩} (△ <i>ABC</i>)		
$(R_{y-axis} \circ R_a)(\triangle ABC)$		
$(R_b \circ R_c)(\triangle ABC)$		

34. SAT/ACT Suppose the equation of line *m* is x = -7 and the equation of line *n* is x = 7. Which is the equivalent to the composition $T_{\langle -1, 3 \rangle} \circ T_{\langle -6, 4 \rangle}$?

AR _m	© R _n

 $\textcircled{D} T_{\langle -6, 4 \rangle} \circ T_{\langle -1, 3 \rangle}$ (B) $T_{\langle -7,7\rangle}$

35. Performance Task Rectangle WXYZ has a perimeter of 16 units and an area of 15 square units.

Part A Graph WXYZ on a sheet of graph paper. Write a composition of rigid motions describing two reflections of WXYZ across parallel lines of your choosing. Graph and label the parallel lines, W'X'Y'Z', and W"X"Y"Z".

Part B Write a single rigid motion that is equivalent to the composition of rigid motions in Part B. Justify your answer.

Part C Compare the perimeter and area of *WXYZ* and W''X''Y''Z''. What can you conclude about the effect of translation on the properties of figures?

