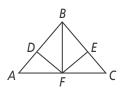
PRACTICE & PROBLEM SOLVING



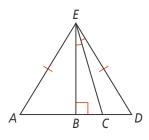


UNDERSTAND

- **9. Construct Arguments** Write a two-column proof for the Angle Bisector Theorem.
- **10. Construct Arguments** Write a paragraph proof for the Converse of the Angle Bisector Theorem.
- **11. Reason** In the diagram below, AB = BC, DF = EF, and $m \angle BDF = m \angle BEF = 90^{\circ}$. Is $\triangle ADF \cong \triangle CEF$? Justify your answer.



12. Error Analysis A student analyzed the diagram and incorrectly concluded that AB = 2BC. Explain the student's error.

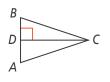


 \overline{EB} is the perpendicular bisector of \overline{AD} ,so AB = BD. $\angle BEC \cong \angle DEC$, soBC = CD.BC + CD = BD = AB, andBC + CD = BC + BC = 2BC,so AB = 2BC.

13. Higher Order Thinking Describe the process of constructing the bisector of an angle. Draw a diagram and explain how this construction can be related to the Angle Bisector Theorem.

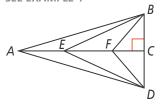


Use the figure shown for Exercises 14 and 15. SEE EXAMPLES 1–3



- **14.** If AD = 3, AC = 8, and BD = 3, what is the perimeter of $\triangle ABC$?
- **15.** If BC = 10, AB = 7, and the perimeter of $\triangle ABC$ is 27, what is the value of *BD*?

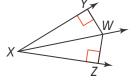
Use the figure shown for Exercises 16 and 17. SEE EXAMPLE 4



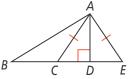
- **16.** If *AD* = 21, *BF* = 8, and *DF* = 8, what is the value of *AB*?
- **17.** If *EB* = 6.2, *CD* = 3.3, and *ED* = 6.2, what is the value of *BD*?

Use the figure shown for Exercises 18 and 19.

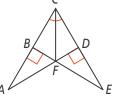
SEE EXAMPLES 5 AND 6



- **18.** If $m \angle YXW = 21$, YW = 5, and WZ = 5, what is $m \angle ZXY$?
- **19.** If $m \angle YXZ = 38$, $m \angle WXZ = 19$, and WZ = 8.1, what is the value of *YW*?
- **20.** If CD = 4 and the perimeter of $\triangle ABC$ is 23, what is the perimeter of $\triangle ABE$?



21. Given that $\angle ACF \cong \angle ECF$ and $m \angle ABF = m \angle EDF = 90$, write a two-column proof to show that $\triangle ABF \cong \triangle EDF$.

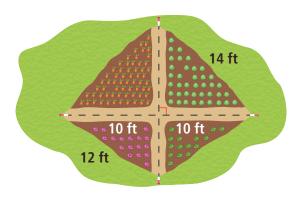


PRACTICE & PROBLEM SOLVING

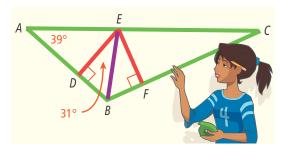


APPLY

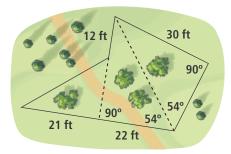
22. Make Sense and Persevere A gardener wants to replace the fence along the perimeter of her garden. How much new fencing will be required?



23. Look for Relationships An artist uses colored tape to divide sections of a mural. She needs to cut a piece of paper to cover $\triangle EFC$ while she works on other sections. What angles should she cut so she only covers the triangle?



24. Mathematical Connections A surveyor took some measurements of a piece of land. The owner needs to know the area of the land to determine the value. What is the area of the piece of land?



✓ ASSESSMENT PRACTICE

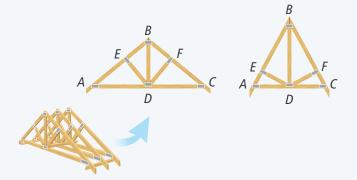
25. \overrightarrow{AB} is the perpendicular bisector of \overline{XY} . Point P is the midpoint of \overline{XY} . Is each statement always true? Select Yes or No.

	Yes	No
AP = XP		
AB = XY		
AP = BP		
XB = YB		
AY = XB		
XP = YP		

26. SAT/ACT Points G, J, and K are not collinear, and GJ = GK. If P is a point on \overline{JK} , which of the following conditions is sufficient to prove that \overrightarrow{GP} is the perpendicular bisector of \overrightarrow{JK} ?

(A) $JG = PG$	$\textcircled{C} \angle GJK \cong \angle GKJ$
[®] <i>m∠GPJ</i> = 90	PK = PG

27. Performance Task A manufacturer makes roofing trusses in a variety of sizes. All of the trusses have the same shape with three supports, as shown, with $\overline{ED} \perp \overline{AB}$ and $\overline{FD} \perp \overline{BC}$.



Part A One builder needs $\angle ABD$ and $\angle CBD$ to be congruent for a project. You need to check that a truss meets the builder's requirement. The only tools you have are a measuring tape and a steel square, which is a carpentry tool for measuring right angles. How can you use these tools to verify the angles are congruent?

Part B In addition to the requirement of the first builder, another builder also needs \overline{AB} and BC to be congruent as well as AD and DC. Using the same tools, how can you efficiently verify that all three pairs are congruent? Explain.

